

The Analysis of Dimensional Changes and The Number of Simple Composite Girder Dimoro Bridge On The Southern Coast Access In Malang East Java

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Abstract- Accelerated development of cross-coastal access to southern eastern Java, known as the South Coast Cross Lane (JLS) very dependent with the topography of the southern region of Java island, about 65% of JLS are in mountainous and coastal areas. One of them is the construction of Dimoro Bridge in Malang East Java region with simple composite girder type spans 20.00 meters. According to basic design, girder dimensions use IWF. 980 x 350 x 10 x 35, with the number of girder $n = 7$ and the girder length 20.40 m. The issue of girder dimensions IWF. 980 x 350 x 10 x 35 is not mass-produced by the steel industry, so there needs to be a design review with the dimensions of girder in the steel industry market with IWF. 800 x 300 x 14 x 26. The analysis of dimensional changes and the number of simple composite girder is reviewed from : (1) the height of the girder profile approaching plan (d), because when the smallest (d) value is taken there will be more number of girder (n) installed. (2) the weight of the bridge structural steel approaching plan (Wr), since if $Wr' < Wr$ means fulfilled by not changing the calculation of the bridge foundation, if $Wr' > Wr$ then it is necessary to recalculate the strength of the bridge foundation. Analyze results for bending moments on IWF girder. 800 x 300 x 14 x 26 is obtained : M pre-composite = 43850 kg.cm, M post-composite = 13816200 kg.cm. The moment of resistance (wb) due to Mpre and Mpost = 5003 cm³. Moment of inertia (Ix) = 282554 cm⁴ (table Ix = 292000 cm⁴). The moment of resistance (wx) = 7064 cm³ (table wx = 7290 cm³). Control of ultimate stress $\sigma_{au}^* = 2780$ kg/cm² is obtained $M_{max} = 12030000$ kg.cm, $\sigma_a' = M_{max}/wx = 2405$ kg/cm² $> \sigma_a = 1850$ kg/cm², the stress σ_a' exceeds the permit stress σ_a but still below ultimate stress σ_{au}^* (safe). Control of deflection, for L/250 obtained $I_x = 157733$ cm⁴ $< I_x$ plan = 282554 cm⁴ (safe). For L/360 obtained $I_x = 201819$ cm⁴ $< I_x$ plan = 282554 cm⁴ (safe). Control of the shear stress obtained $T = 229.76$ kg.cm² $< T' = 0.58 \times \sigma_a = 0.58 \times 1850 = 1073$ kg.cm² (safe). Control of tensile stress and press on composite girder, compressive stress $\sigma_{su} = 389.7$ kg/cm² $< \sigma_a = 1850$ kg/cm² (safe), tensile stress $\sigma_{sl} = 1123.3$ kg/cm² $< \sigma_a = 1850$ kg/cm² (safe). Preferred on the composite girder is the compressive stress (σ_{su}), and the resulting compressive stress (σ_{su}) after the composite is smaller than the allowable stress ($\sigma_a = 1850$ kg/cm²; $\sigma_{au}^* = 2780$ kg/cm²), the dimensional change IWF girder being 800 x 300 x 14 x 26 is safe to use. The change of girder number to IWF 800 x 300 x 14 x 26, profile area $F = 261$ cm² (table $F = 267$ cm²), girder weight per m $wt_1 = 261 \times 0.785 = 205.00$ kg/m' (table = 210.00 kg/m'), weight 1 girder $Wt(p) = 4100$ kg. Needs of girder $n' = Wt_7/Wt(p) = 9.40 \rightarrow$ taken 9 girder, $Wt_9 = 36900$ kg $< Wt$ plan = 38556 kg (ok). Accessories on the composite girder include : connection plate + bolt, diaphragm (bracing iron elbow) + bolt, shear-connector. Total weight of Accessories 9 girder = (3692+215+737) = 4644 kg. Total weight of composite bridge steel structure 9 girder $Wr = 36900+4644 = 41544$ kg $<$ weight plan $Wr = 41635$ kg (fulfilled by not changing bridge foundation calculation).

Keywords: pre-composite moment, post-composite moment, ultimate stress, deflection, shear stress.

1. Introduction

Currently the prosperity of fishing communities on the south coast of East Java depending on the construction of road and bridge access. Accelerated development of cross-coastal access to southern eastern Java, known as the South Coast Cross Lane (JLS) very dependent with the topography of the southern region of Java island, about 65% of JLS are in mountainous and coastal areas. Consequently, not all locations can be built roads with arterial function. Therefore, road and bridge infrastructure is a major requirement on the South Coast Cross Lane. One of them is the construction of Dimoro Bridge in Malang East Java region with simple composite girder type spans 20.00 meters.

In a bridge planning (basic design) should be considered for the use of easy-to-do and easy to transport material. Currently most of the southern coastal locations have no access roads and bridges. Therefore, the construction of road access and the selection of bridge types and construction costs are the main priorities for the implementation of the work to be quickly completed, low in construction costs and safe in the construction structure.

The initial concept, the bridge using the T beam type, then revised into a simple composite beam type. For technical reasons, the duration of the in-situ casting system of the T beam is longer compared to steel girder profile manufacturing. According to basic design, girder dimensions use IWF. 980 x 350 x 10 x 35, with the number of girder $n=7$ and the girder length 20.40 m. If following the PU Bina Marga standard for span 19.40 m composite girder it can use the H-Beam girder dimension 500 x 300 x 9 x 19, with the number of girder $n=8$ and the girder length 20.00 m.

Problems in the field, girder dimensions IWF. 980 x 350 x 10 x 35 is not mass-produced by the steel industry, so there needs to be a design review with the dimensions of girder in the steel industry market with IWF. 800 x 300 x 14 x 26.

2. Literature Review

Bridges are structures that need to be well planned in order to function optimally. Simple composite beam bridge is a bridge type beam from IWF steel profile with a simple support system and capable of carrying bridge deck-plate loads and vehicle loads. For the calculation of bridge loading following RSNI T-02-2005, while planning steel structure for bridge follow RSNI T-03-2005.

3. Technical Review

Technical studies taken based on the basic design approach method, that is the strength of replacement composite beams at least have the same strength with the composite beam plan in basic design. Dimensional changes and number of simple composite girder will be reviewed from : (1) the height of the girder profile approaching plan (d), because when the smallest (d) value is taken there will be more number of girder (n) installed. (2) the weight of the bridge structural steel approaching plan (W_r), since if $W_r' < W_r$ means fulfilled by not changing the calculation of the bridge foundation, if $W_r' > W_r$ then it is necessary to recalculate the strength of the bridge foundation.

4. Stages of Calculation

Try to review the design only on the upper structure of the bridge, which is limited only to the composite girder and not to recalculate the strength of the bridge foundation. The first to be re-planned is the change in the dimensions of the IWF steel beam profile. By first looking for bending moments on deck-slab and bending moments on the beam with pre-composite loading and post-composite loading. Checking moments of inertia and resisting moment on IWF beams. Then controls the maximum moment, control of

deflection, control of shear stress on the composite beam. The second one that will be re-planned is the change in the number of girder. By first looking for the total weight of the plan girder, and the total weight of the change girder. Looking for heavy girder accessories ie connection plate + bolt, diaphragm (bracing iron elbow) + bolt, and shear-connector. Then control of the steel weight of the bridge structure approaching plan (W_r).

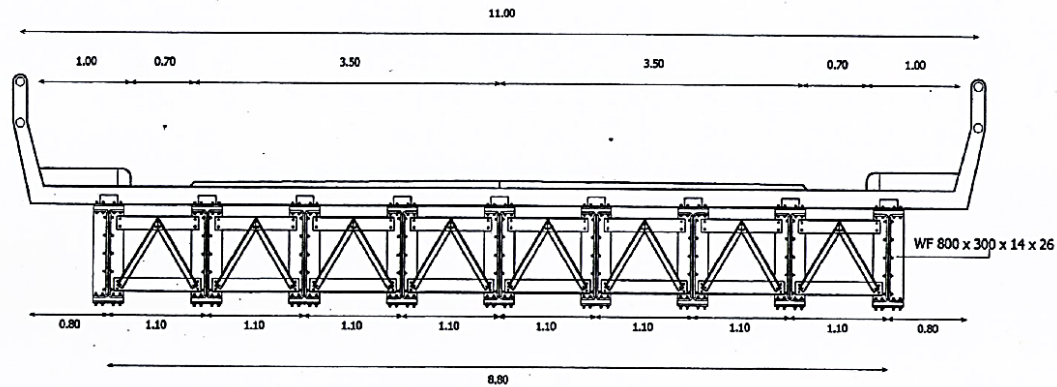


Fig.1. Typical simple composite girder bridge

The following is a simple composite beam bridge data:

Dimension beam (basic-design) :

Bridge span : 20.00 meters
 Beam length : 20.40 meters
 Steel beam structure : IWF. 980x350x10x35, n = 7 beams
 Distance beam : 1.60 meters
 Configuration of the beam: (0.40 m + 7 beams @ 1.60 m + 0.40 m)

Beam Dimensions (Changes):

Bridge span : 19.60 meters
 Beam length : 20.00 meters
 Steel beam structure : IWF. 800x300x14x26, n = 9 beams
 Beam distance : 1.10 meters
 Configuration of the beam: (0.80 m + 9 beam @ 1.10 m + 0.80 m)
 Concrete Quality : K-350 ($f_c' = K \times 0.83 / 10 = 29,05$ Mpa)
 Steel Quality : U-32
 Asphalt width : 7.00 m (thick 0.10 m)
 Sidewalk width : 1.00 m (thick 0.20 m)
 Floor bridge width : 10.40 m (thick 0.20 m)
 Abutment width : 11.00 m

5. Analysis and Results

5.1. Bending Moment (M_u) on slab

Loading : q_1 deck-slab = q floor plates + q asphalt + q rainwater = $(0.20 \times 2500) + (0.10 \times 2200) + (0.05 \times 1000) = 770$ kg/m. q_2 sidewalk = q sidewalk + q rainwater + q load use = $(0.20 \times 2500) + (0.05 \times 1000) + 500 = 1050$ kg/m. Railing from pipe + concrete pile, assumed as full wall : $P_1 = 1.25 \times (0.16 + 0.25) / 2 \times 2500 = 641$ kg/m. Axle Load Truck (Load T) $P_2 = 10$ ton. Truck wheel load distribution (T load) : $S_a = \frac{3}{4} a + \frac{3}{4} r.L_x$, where $r = \frac{2}{3} \rightarrow S_a = 0.715$ m < 1.50 m.

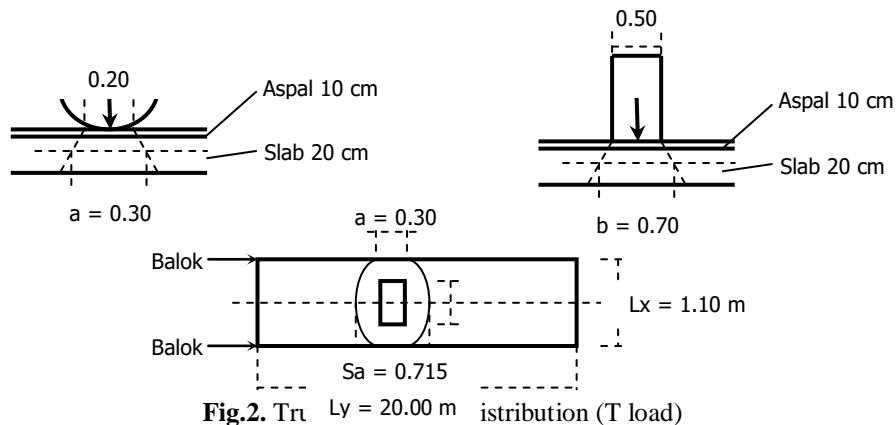


Fig. 2. T load distribution (T load)

5.1.1. Bending moment due to T Load P2 and q1 above deck-slab

5.1.1.1. Bending Moment due to Load P2 :

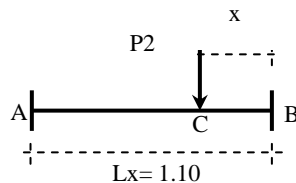


Fig. 3. Bending moment deck-slab between the two beams

End beam moment (M_A) :

$$M_A = - (P \cdot a^2 \cdot b) / L^2 = - P \cdot x^2 \cdot (L-x) / L^2$$

$$M_B = - (P \cdot a \cdot b^2) / L^2 = - P \cdot x \cdot (L-x)^2 / L^2$$

Moment maximum (M_A), when $M_A = 0$

$$M_A = - 1/L^2 \cdot (P \cdot L \cdot x - P \cdot x^3)$$

$$0 = - 2 \cdot L + 3 \cdot x$$

$$x = 2/3 \cdot L \rightarrow M_A = - (P \cdot x^2 \cdot (L-x)) / L^2$$

$$M_A = - 4/9 \cdot P \cdot L + 8/27 \cdot P \cdot L = 4/27 \cdot P \cdot L$$

$$M_A = 4/27 \cdot 10 \cdot 1.10 = 1629.63 \text{ kg.m}$$

width $a = 0.30$ m, then moment at point A :

$$M'_A = 1629.63 / 0.30 = 5432.10 \text{ kg.m.} \rightarrow Mu_2 = 5432.10 \text{ kg.m.}$$

Field moment or middle beam moment (M_C) :

$$M_C = P \cdot x \cdot (L-x) / L + M_A \cdot x / L + M_B \cdot (L-x) / L$$

$$0 = P \cdot x \cdot (L-x) \cdot L^2 / L^3 + P \cdot x^2 \cdot (L-x) \cdot x / L^3 - P \cdot x \cdot (L-x)^3 / L^3$$

$$0 = L^2 + x^2 - (L-x)^2$$

$$0 = 2 \cdot L \cdot x$$

$$x = 1/2 \cdot L \rightarrow \text{used : } M_C = 1/8 \cdot P \cdot L = 1/8 \cdot 10 \cdot (1.10) = 1375 \text{ kg.m}$$

width $S_a = 0.715$ m, then moment at point C :

$$M'_C = 1375 / 0.715 = 1923.08 \text{ kg.m.} \rightarrow Mu_3 = 1923.08 \text{ kg.m.}$$

5.1.1.2. Bending Moment due to Load q1:

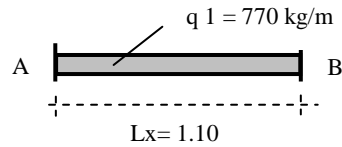


Fig. 4. Bending Moment due to Load q1

M end beam (Mu2) = $1/12 \cdot q_1 \cdot L^2 = 77.64 \text{ kg.m}$; M field (Mu3) = $1/8 \cdot q_1 \cdot L^2 = 116.46 \text{ kg.m}$.

5.1.2. Bending moment due to P1 and q2 above sidewalk-slab

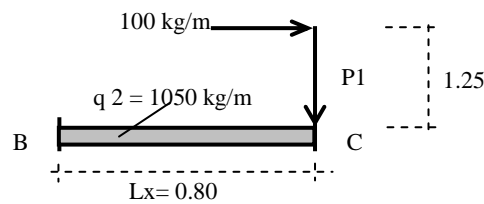


Fig.5. Bending Moment due to Load P1 and q2

$Mu1 = \frac{1}{2} \cdot q_2 \cdot L^2 + P1 \cdot 1.25 + 100 \cdot 1.25 = 1262.25 \text{ kg.m}$.

Total moment (SF = 1.5) for floor plate reinforcement (slab) :

- Moment cantilever beam (Mu1) = $1262.25 \times 1.5 = 1893.38 \text{ kg.m}$
- Moment end beam (Mu2) = $(5432.10 + 77.64) \times 1.5 = 8264.61 \text{ kg.m}$
- Moment field (Mu3) = $(1923.08 + 116.46) \times 1.5 = 3059.31 \text{ kg.m}$

For reinforcement of floor plates bridge used the above three moments, according to Ultimate Method of SNI.

5.2. Moment maximum on beam IWF. 800 x 300 x 14 x 26

Assumptions : weight 1 beam IWF. 800 x 300 x 14 x 26 (length 20.00 m) = 4100.00 kg, weight 1 beam IWF + beam accessories = (4100 + 516) = 4616.00 kg, weight beam per 1.00 m (4616 kg/20.00 m = 230.80 kg/m) = 231 kg/m, weight floor plates per 1.00 m $(0.20+0.27)/2 \times 1.10 \times 2500 = 646 \text{ kg/m} \rightarrow \text{Load } q_1 = 877 \text{ kg/m}$.

5.2.1. Loading composite beam

Load $q_2 = q \text{ asphalt} + q \text{ rainwater} + q \text{ load use} = (0.10 \times 1.10 \times 2200) + (0.05 \times 1.10 \times 1000) + 100 = 397 \text{ kg/m}$. Line load (P) = 12 ton $\rightarrow P = 12/2.75 \times 1.10 = 4800.00 \text{ kg}$. Distributed load (P') = 2.2 t/m ($L_y < 30.00 \text{ m}$), $L_y = 20.00 \text{ m} \rightarrow P' = 2.2/2.75 \times 1.10 = 880.00 \text{ kg}$. Shock load : $K = 1 + 20/(50+L_y) = 1.286 \rightarrow P = 1.286 \times 4800 = 6172.80 \text{ kg}$ and $P' = 1.286 \times 880 = 1131.68 \text{ kg/m}$

5.2.1.1. Bending moment on beam (pre-composite and post-composite):

M pre = $1/8 \cdot q_1 \cdot L_y^2 = 1/8 \cdot 877 \cdot 20^2 = 43850 \text{ kg.cm}$.

M post = $1/8 \cdot q_2 \cdot L_y^2 + \frac{1}{2} \cdot P \cdot L_y + 1/8 \cdot P' \cdot L_y^2 = 1/8 \cdot (397) \cdot 20^2 + \frac{1}{2} \cdot (6172.80) \cdot 20 + 1/8 \cdot (1131.68) \cdot 20^2 = 138162 \text{ kg.m} \sim 13816200 \text{ kg.cm}$.

5.2.1.2. Resistance moment (wb) due to M pre and M post:

On the composite beam the resistance moment (wbc) range from 1.5 - 2.5 times wb, then taken wbc = 1.5 wb. U-32 steel quality has $\sigma_{au} = 3200 \text{ kg/cm}^2$, $\sigma_a = 1850 \text{ kg/cm}^2$ (0.58. σ_{au}), $\sigma_{au}^* = 2780 \text{ kg/cm}^2$ (0.87. σ_{au}). Looking for resistance moment with $\sigma_a = M_{pre} / w_b + M_{post} / w_{bc} \rightarrow 1850 = 43850/w_b + 13816200/(1.5.w_b) \rightarrow w_b = (43850 + 9210800)/1850 = 5003 \text{ cm}^3$. Resistance moment (wb) due to M pre and M post : $w_b = 5003 \text{ cm}^3$.

With availability of IWF profile in the steel industry market, that is IWF. 800 x 300 x 14 x 26 with high beam (d) to 80.0 cm (initially high beam (d) to 98.0 cm). Then the IWF. 800 x 300 x 14 x 26 is still to be controlled against stresses that occur and resistance moment that occur (resistance moment is also called opponent moment or static moment), where resistance moment that occurs (wb) must be less than the planning resistance moment (wx) of IWF profile used.

5.3. Moment of inertia and moment of resistance IWF. 800 x 300 x 14 x 26

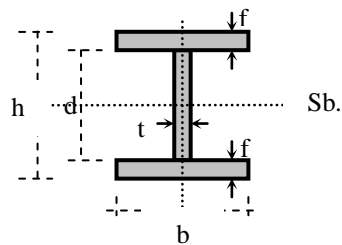


Fig.6. Dimensional steel beam profile IWF

$$\text{Profile area } F = b.h - d.(b-t) \text{ cm}^2$$

$$\text{Distance axis } y_0 = b/2 \text{ cm}$$

$$\text{Moments of inertia } I_x = 1/12. \{b.h^3 - d^3.(b-t)\} \text{ cm}^4$$

$$\text{Moments of resistance } w_x = 1/6h. \{b.h^3 - d^3.(b-t)\} \text{ cm}^3$$

Dimensional steel beam profile IWF :

$$h = 80.0 \text{ cm}$$

$$d = 74.8 \text{ cm } h/t = 80.0 / 1.4 = 57.14 < 75 \text{ (ok)}$$

$$b = 30 \text{ cm } L/h = 2000 / 80.0 = 25$$

$$t = 1.4 \text{ cm } 1.25x(b/f) = 1.25x(30/2.6) = 14.42$$

$$f = 2.6 \text{ cm } L/h \text{ to } 1.25x(b/f) : 25 > 14.42 \text{ (ok)}$$

$$F = b.h - d.(b-t) = 30x80 - 74.8(30-1.4) = 261 \text{ cm}^2$$

$$I_x = 1/12. \{b.h^3 - d^3.(b-t)\} = 1/12. \{30x80^3 - 74.8^3.(30-1.4)\} = 282554 \text{ cm}^4,$$

$$\text{(table } I_x = 292000 \text{ cm}^4)$$

$$w_x = 1/6h. \{b.h^3 - d^3.(b-t)\} = 1/6h. \{30x80^3 - 74.8^3.(30-1.4)\} = 7064 \text{ cm}^3,$$

$$\text{(table } w_x = 7290 \text{ cm}^3)$$

5.3.1. Controls moment maximum :

$$\text{pre composite } q_1 = 877 \text{ kg/m.}$$

$$\text{post composite } q_2 = 397 \text{ kg/m, } P = 6172.80 \text{ kg, } P' = 1131.68 \text{ kg/m.}$$

$$q_t = 877 + 397 + 1131.68 = 2406 \text{ kg/m.}$$

$$M_{\text{max}} = 1/8 .q_t.L^2 = 1/8.(2406).20^2 = 120300 \text{ kg.m} = 12030000 \text{ kg.cm.}$$

$$\sigma_a' = M_{\text{max}}/w_x = 12030000 / 5003 = 2405 \text{ kg/cm}^2 > \sigma_a = 1850 \text{ kg/cm}^2 \text{ (exceeding the allowable stress but still below the ultimate stress } \sigma_{au}^* = 2780 \text{ kg/cm}^2) \text{ (ok).}$$

5.3.2. Control of deflection

5.3.2.1. Control of deflection due to dead load

$$E = 2.1 \times 10^6 ; qt = q_1 + q_2 = 877 + 397 = 1274 \text{ kg/m}$$

$$f = L/250$$

$$f_{\max} = 5/384 \cdot (q \cdot L^4)/(E \cdot I_x), \text{ and } I_x = 5/384 \cdot (q \cdot L^4)/(E \cdot f), \text{ then :}$$

$$I_x = 5/384 \cdot (q \cdot L^4)/(E \cdot f) = 5/384 \cdot (q \cdot L^4 \cdot 250)/(E \cdot L) = 5/384 \cdot (q \cdot L^3 \cdot 250)/E$$

$$I_x = 0.013 \times (12.74 \times (2000)^3 \times 250) / E$$

$$I_x = 157733 \text{ cm}^4 < I_{x \text{ rencana}} = 282554 \text{ cm}^4, \text{ (table } I_x = 292000 \text{ cm}^4) \text{ (ok)}$$

5.3.2.2. Control of deflection due to live load

$$E = 2.1 \times 10^6 ; q = P' = 1131.68 \text{ kg/m}$$

$$f = L/360$$

$$f_{\max} = 5/384 \cdot (q \cdot L^4)/(E \cdot I_x), \text{ and } I_x = 5/384 \cdot (q \cdot L^4)/(E \cdot f), \text{ then :}$$

$$I_x = 5/384 \cdot (q \cdot L^4)/(E \cdot f) = 5/384 \cdot (q \cdot L^4 \cdot 360)/(E \cdot L) = 5/384 \cdot (q \cdot L^3 \cdot 360)/E$$

$$I_x = 0.013 \times (11.32 \times (2000)^3 \times 360) / E$$

$$I_x = 201819 \text{ cm}^4 < I_{x \text{ rencana}} = 282554 \text{ cm}^4, \text{ (table } I_x = 292000 \text{ cm}^4) \text{ (ok)}$$

5.3.3. Control of shear stress

$$D_{\max} = R_A = R_B = \frac{1}{2} \cdot qt \cdot L = \frac{1}{2} \cdot 2406 \cdot 20 = 24060 \text{ kg}$$

$$\tau = D_{\max} / t \cdot d = 24060 / 1.4 \times 74.8 = 229.76 \text{ kg.cm}^2$$

$$\tau = 229.76 \text{ kg.cm}^2 < \tau' = 0.58 \cdot \sigma_a = 0.58 \times 1850 = 1073 \text{ kg.cm}^2 \text{ (ok)}$$

5.4. Stresses on the composite beam

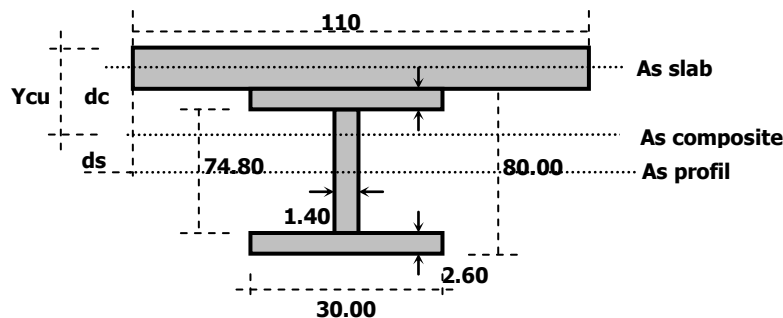


Fig.7. Stresses on the composite beam

$$M_{\text{pre}} = 43850 \text{ kg.cm}$$

$$M_{\text{post}} = 138162 \text{ kg.m} \sim 13816200 \text{ kg.cm}$$

$$W_b = 5003 \text{ cm}^3$$

$$I_x = 282554 \text{ cm}^4, \text{ (table } I_x = 292000 \text{ cm}^4)$$

5.4.1. Stress pre-composite

$$\sigma_{sl} = M_{\text{pre}} / w_b = 43850 / 5003 = 8.8 \text{ kg/cm}^2 \text{ (tarik)}$$

$$\sigma_{su} = - 8.8 \text{ kg/cm}^2 \text{ (tekan)}$$

5.4.2. Stress post-composite

$$A_s \text{ steel} = 261 \text{ cm}^2, h = 80.0 \text{ cm}$$

$$A_c \text{ concrete} = 110 \times 20 = 2200 \text{ cm}^2$$

$$I_c = 1/12 \times 110 \times 20^3 = 73333 \text{ cm}^4$$

$$dc = (As \cdot 1/2h) / (As + Ac/n) = 10440 / 383.22 = 27.24 \text{ cm}$$

$$\text{Concrete Quality K-350 } (fc' = K \cdot 0.83/10 = 29,05 \text{ Mpa}) \rightarrow n = 330 / \sqrt{350} = 18$$

$$d = (d \text{ slab} + d \text{ WF})/2 = (20+80)/2 = 50.00 \text{ cm}$$

$$ds = d - dc = 50.00 - 27.24 = 22.76 \text{ cm}$$

5.4.3. Moments of inertia on the composite center line

$$I_v = I_x + As \cdot ds^2 + 1/n \cdot (I_c + Ac \cdot dc^2)$$

$$I_v = 282554 + 261 \cdot 22.76^2 + 1/18 \cdot (73333 + 2200 \cdot 27.24^2) = 512522 \text{ cm}^4$$

$$Y_{cu} = -d \text{ slab}/2 - dc = -20/2 - 27.24 = -37.24 \text{ cm}$$

$$Y_{su} = d \text{ slab}/2 - dc = 20/2 - 27.24 = -17.24 \text{ cm}$$

$$Y_{sl} = (d \text{ slab}/2 + h) - dc = (20/2 + 80) - 27.24 = 62.76 \text{ cm}$$

$$h = Y_{su} + Y_{sl} = 17.24 + 62.76 = 80.00 \text{ cm}$$

$$\sigma_{cu} = (M_{\text{post}} / I_v) \times Y_{cu} \times 1/n$$

$$\sigma_{cu} = (13816200 / 512522) \cdot (-37.24) \cdot 1/18$$

$$\sigma_{cu} = -34.28 \text{ kg/cm}^2 \text{ (compressive)} < \sigma_b' = 0.33 \sigma_{bk} = 0.33 \times 350 = 115 \text{ kg/cm}^2 \text{ (ok)}$$

$$\sigma_{su} = (M_{\text{post}} / I_v) \times Y_{su}$$

$$\sigma_{su} = (9501200 / 535077) \cdot (-14.75)$$

$$\sigma_{su} = 380.9 \text{ kg/cm}^2 \text{ (compressive)}$$

$$\sigma_{sl} = (M_{\text{post}} / I_v) \times Y_{sl}$$

$$\sigma_{sl} = (9501200 / 535077) \cdot (62.76)$$

$$\sigma_{sl} = 1114.4 \text{ kg/cm}^2 \text{ (tensile)}$$

5.4.4. Total Stress

Compressive stress $\sigma_{cu} = 8.8 + 380.9 = 389.7 \text{ kg/cm}^2 < \sigma_a = 1850 \text{ kg/cm}^2 \text{ (ok)}$.
Tensile stress $\sigma_{sl} = 8.8 + 1114.4 = 1123.3 \text{ kg/cm}^2 < \sigma_a = 1850 \text{ kg/cm}^2 \text{ (ok)}$.
The priority of composite girdes is compressive stress (σ_{su}), and the resulting compressive stress (σ_{su}) after composite is smaller than allowable stress ($\sigma_a = 1850 \text{ kg/cm}^2$; $\sigma_{au}^* = 2780 \text{ kg/cm}^2$), so fulfilled the requirements then changes dimension beam IWF. 800 x 300 x 14 x 26 is safe to use.

5.5. The number of beams (n)

5.5.1. Beam plan with IWF. 980 x 350 x 10 x 35

Dimensions of the beam $h = 98.0 \text{ cm}$, $d = 91.0 \text{ cm}$, $bf = 35.0 \text{ cm}$, $t1 = 1.0 \text{ cm}$, $t2 = 3.5 \text{ cm}$. Profile area (F) = 343 cm². Profile weight 1.00 m² (w) = 7850 kg/m². Profile weight 1.00 cm² (w) = 0.785 kg/cm². Profile weight 1.00 m' (w') = 343 x 0.785 = 270.00 kg/m'. Weight beam 1 piece Wt (1) = 20.40 x 270.00 = 5508 kg. Total weight beam of 7 pieces Wt (7) = 5508 x 7 = 38556 kg (without beam accessories).

5.5.2. Beam changes with IWF. 800 x 300 x 14 x 26

Dimensions of the beam $h = 80.0 \text{ cm}$, $d = 74.8 \text{ cm}$, $bf = 30.0 \text{ cm}$, $t1 = 1.4 \text{ cm}$, $t2 = 2.6 \text{ cm}$. Profile area (F) = 261 cm² (table = 267 cm²). Profile weight 1.00 m² (w) = 7850 kg/m². Profile weight 1.00 cm² (w) = 0.785 kg/cm². Profile weight 1.00 m' (w') = 261 x 0.785 = 205.00 kg/m' (table = 210.00 kg/m'). Weight beam 1 piece Wt (p) = 20.00 x 205.00 = 4100 kg.

5.5.3. Number of beam (n) and spacing beam (bo)

Number of beam with IWF. 800 x 300 x 14 x 26 is $(n) = Wt(7)/Wt(p) = 38556/4100 = 9.40$ beam \rightarrow taken 9 beams. Total beam distance no.1 to no.9 = $10.40 - 1.60 = 8.80$ m. Spacing beam $(bo) = 8.80/(n-1) = 1.10$ m $<$ (bo) plan with IWF. 980 x 350 x 10 x 35 = 1.60 m (ok) \rightarrow taken (bo) = 1.10 m.

5.5.4. Weight of beam accessories

Beam accessories consist : connection plate with bolts, diaphragm (bracing iron elbow) with bolts, and shear-connector. Fabric manufacturing 1 girder length 20.00 m, there are 3 points of connection plate per beam, consisting of length 3 @ 6.00 m + 2.00 m. Using IWF. 800 x 300 x 14 x 26 $(n) = 9$ beams.

Calculation of weight of beam accessories (cast iron = 7250 kg/m²) :

Flens IWF : $0.70 \times 0.30 \times 2 \times 0.02 \times 3 \times 9 \times 7250$ kg/m² = 1644 kg

$0.70 \times 0.14 \times 4 \times 0.01 \times 3 \times 9 \times 7250$ kg/m² = 767 kg

Bolts flens dia.25 : $(24+24) \times 3 \times 9 \times 0.15$ kg/piece = 194 kg

Web IWF : $0.66 \times 0.40 \times 2 \times 0.01 \times 3 \times 9 \times 7250$ kg/m² = 1033 kg

Bolts web dia.19 : $(20) \times 3 \times 9 \times 0.10$ kg/piece = 54 kg

The total weight of the connection plate (9 beam) = 3692 kg

Diaphragm (bracing iron elbow) there are 5 points / blocks :

L.150.75.11 : $(1.00+0.70) \times 2 \times 5 \times 9 \times 0.897$ kg/m = 137 kg

L. 75.55.10 : $(0.90) \times 2 \times 5 \times 9 \times 0.300$ kg/m = 24 kg

Bolts dia.19 : $(12) \times 5 \times 9 \times 0.10$ kg/piece = 54 kg

The total weight of the diaphragm (9 beam) = 215 kg

Shear-connector D.16 :

Number of shear-connector $(n) = 70$ piece/beam, length 0.75 m/piece.

The total weight of shear-connector = $9 \times 70 \times 0.75 \times 1.560$ kg/m = 737 kg.

The total weight of accessories 9 beam = $(3692 + 215 + 737) = 4644$ kg.

The total weight of accessories 1 beam = $4644 / 9 = 516$ kg.

5.5.5. Total weight of steel structures 1 bridge

For accessories beam plan IWF. 980 x 350 x 10 x 35 (from the list of weight beam plan) = 7×440 kg = 3079 kg, so the total weight of the plan beam $W_r(7) = 38556 + 3079 = 41635$ kg. While weight of IWF. 800 x 300 x 14 x 26 $(n) = 9$ beams (without beam accessories) is $W_t(9) = 4100 \times 9 = 36900$ kg $<$ $W_t(7)$ beam plan = 38556 kg (fulfilled 96%). Difference total weight of beam plan : $(38556 - 36900) = 1656.00$ kg. For weight of accessories 9 beams = 4644 kg. Control total weight of steel structure for 1 bridge 9 beams : $W_r(9) = 36900 + 4644 = 41544$ kg $<$ weight plan $W_r(7) = 41635$ kg (fulfilled 99.8% ok). So $W_r' < W_r$ means does not change the calculation of bridge pile foundation.

6. Conclusion

The number of beams increases from 7 beams to 9 beams, it must be controlled by stresses and moment of resistance that occurs in profile IWF. 800 x 300 x 14 x 26. Moment of resistance which occurs ($w_b = 5003$ cm³) shall be less than the planning resistance moment ($w_x = 7064$ cm³) of IWF profile used. Priority of composite girdes is compressive stress (σ_{su}), resulting compressive stress (σ_{su}) after composite is must be smaller than allowable stress ($\sigma_a = 1850$ kg/cm²; $\sigma_{au}^* = 2780$ kg/cm²), and stated changes dimension beam IWF. 800 x 300 x 14 x 26 is safe to use. Control total weight of steel structure for 1 bridge, should be $W_r' < W_r$ means fulfilled with the intention of not changing the calculation of bridge pile foundation). If $W_r' > W_r$ then it is necessary to recalculate the strength of the bridge pile foundation.

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